
MODULE 2: Automatic Generation Control (AGC)

Structure

- 2.1 Automatic Generation Control (AGC): Introductions
- 2.2 Basic Generator Control Loops
- 2.3 Commonly used Terms in AGC
- 2.4 Functions of AGC
- 2.5 Speed Governors.

Automatic Generation Control (continued):

- 2.6 Mathematical Model of Automatic Load Frequency Control
- 2.7 AGC Controller
- 2.8 Proportional Integral Controller.

Objectives

1. To explain basic generator control loops, functions of Automatic generation control, speed governors and mathematical models of Automatic Load Frequency Control

2.1 AGC: Introduction

In an electric power system, **automatic generation control (AGC)** is a system for :
Adjusting the power output of multiple generators at different power plants, in response to changes in the load.

Since a power grid requires that generation and load closely balance moment by moment, frequent adjustments to the output of generators are necessary

As our development has increased, there has been a higher demand of electrical **power loads both on industrial and domestic scale.**

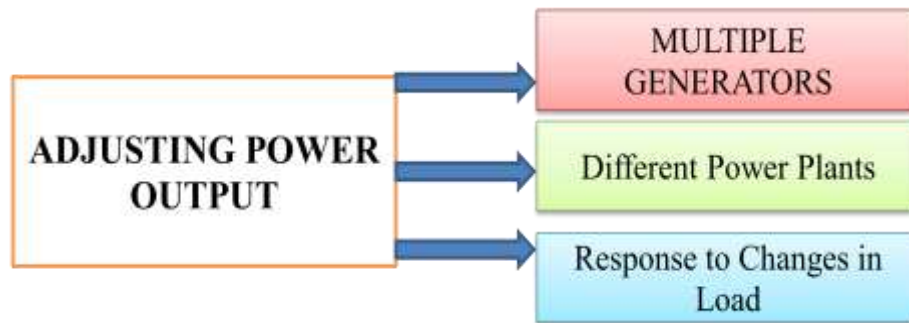
As the number increases, it is also imperative to manage load properly since a failure to do so results in **frequency fluctuation and voltage drops.**

An effective regulatory strategy is available in the form of:

- **Automatic Voltage Regulator Systems (AVR)** and
- **Automatic Load Frequency Control (ALFC)**

The main function of ALFC system is to assess and rectify the power and frequency while that of AVR system is to regulate voltage and reactive power.

What is AGC ?



$$S = P + jQ$$

P → Depends on Frequency; Depends on Speed --- → Speed Governor

Permissible Limit is $\pm 0.5\%$

Q → Depends on Excitation → Excitation Control

Permissible Limit is $\pm 5\%$

Even though $P \sim f$ and $Q \sim V$ control loops are working simultaneously both frequency and voltage control loops do not interfere with each other?

Answer:

Different Time Constant

$T(\text{Gen-Field}) < T(\text{Speed Governor})$

Transients in Excitation control vanishes faster and do not interfere with dynamics of frequency control

In Power System, the Active and Reactive power are never Steady. It is time varying quantity.

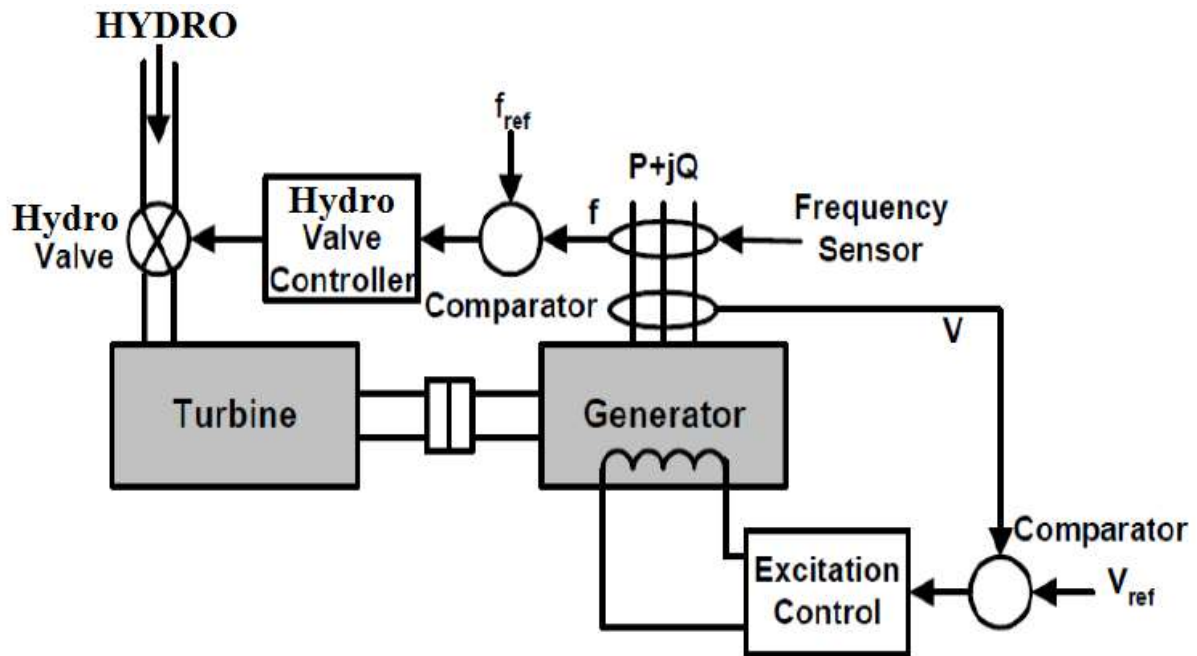
1. When reactive power increase, the voltage starts dropping and when the demand of active power increases, the frequency of supply decreases.
2. To compensate frequency the steam input to turbo generator (or water input to hydro generator) must be continuously regulated.

2.2 Basic Generator Control loops

An effective regulatory strategy is available in the form of:

1. Automatic Voltage Regulator Systems (AVR)
2. Automatic Load Frequency Control (ALFC)

The main function of ALFC system is to assess and rectify the power and frequency while that of AVR system is to regulate voltage and reactive power.



Block diagram representation of load frequency and excitation control

2.3 Commonly used Terms in AGC

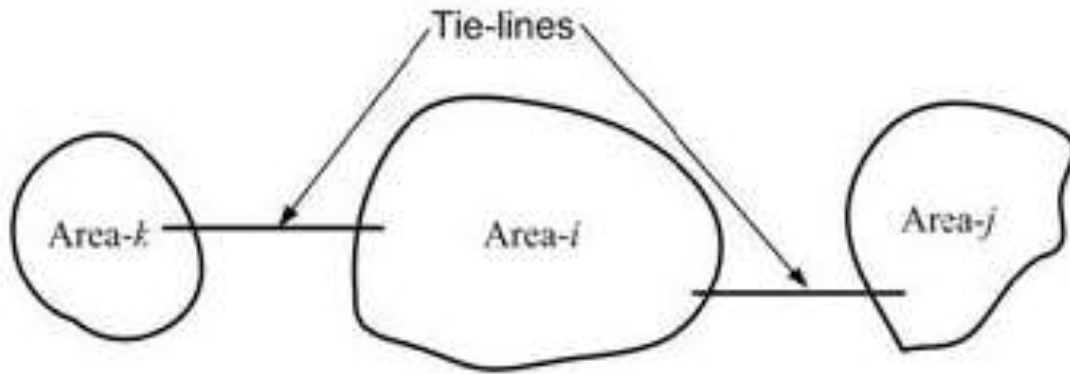
- **Control Area:**

A control area is a part of the system to which common generation is applied.

- **Tie line:**

The transmission lines connecting two or more areas are called tie lines.

Active power flows from one area to another via the tie lines.



Net interchange:

Between control areas, there is a mutually prearranged net power on the area tie lines, called the scheduled net interchange.

The algebraic sum of powers on the area tie lines of a control area is called the net interchange.

If the net interchange is positive, there is generation out of the area.

Frequency:

There are different frequencies commonly used.

System frequency: It is the actual frequency of the system AC voltage.

Standard frequency: It is the frequency intended to be used as **reference**.

Rated frequency: It is the frequency for which the generating equipment is designed.

Scheduled frequency: It is the frequency which the system attempts to maintain.

- **Frequency bias:**

It is the offset in the scheduled net power interchange of a control area. It is varied proportional to the frequency deviation and is in a direction so as to bring the **system frequency** to the **scheduled frequency**.

- **Time deviation:**

It is the ratio of the accumulated (or integrated) difference between the **system frequency** and **rated frequency**, to the **rated frequency**.

- **Load-frequency characteristic:**

For a control area, it is the change in total area load resulting from a change in system frequency.

- **Station control error:**

It is the station generation minus the assigned station generation.

- **Unit control errors:**

It is the unit generation minus the assigned unit generation.

2.4 Functions of AGC

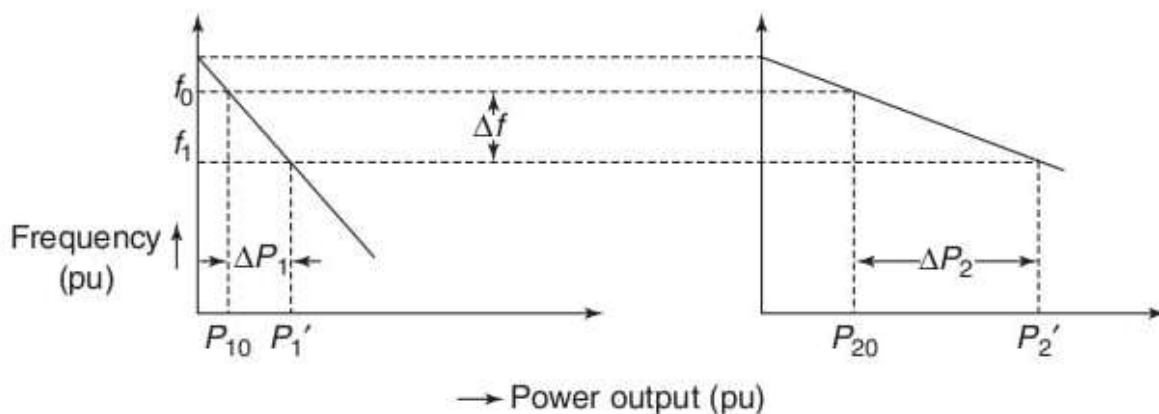
- The frequency of the various bus voltages are maintained at the **scheduled frequency**.

- The **tie-line power flows** are maintained at the scheduled levels.
- The total power is shared by all generators economically (economic dispatch). **The first two functions are realized using the ALFC** whereas third using AVR
- **Yield a generation acceptably matching the changing load at scheduled frequency**
- **Should accumulate lower fuel cost**
- **Maintain sufficient level of reserved control range**
- **Provide higher security margins**
- **Provide meaningful alarms at control centres for deviations**

Load Regulation between Units in Parallel

- W_{NL} -----→ No load Speed
- W_{FL} --→ Full Load Speed
- W_0 ---→ Nominal Speed

$$\%R = \left(\frac{\omega_{NL} - \omega_{FL}}{\omega_0} \right) \times 100$$



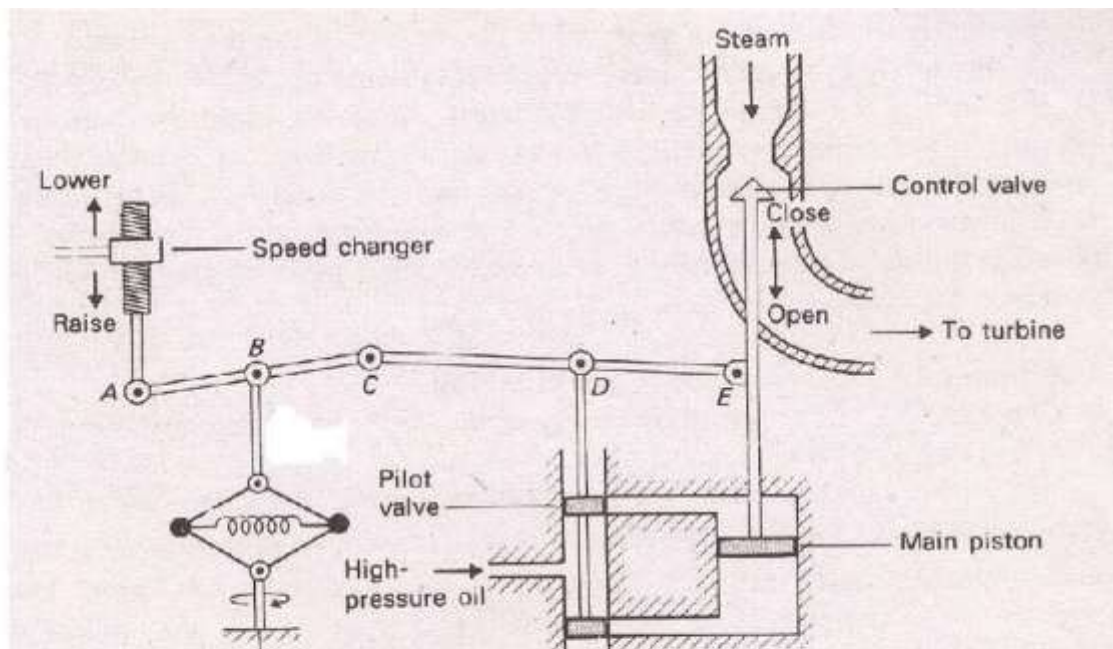
$$\Delta P_1 = \frac{\Delta f}{R_1}$$

$$\Delta P_2 = \frac{\Delta f}{R_2}$$

$$\frac{\Delta P_1}{\Delta P_2} = \frac{R_2}{R_1}$$

The change in output of the generators is thus in the inverse ratio of the speed regulation.

2.5 Speed Governors

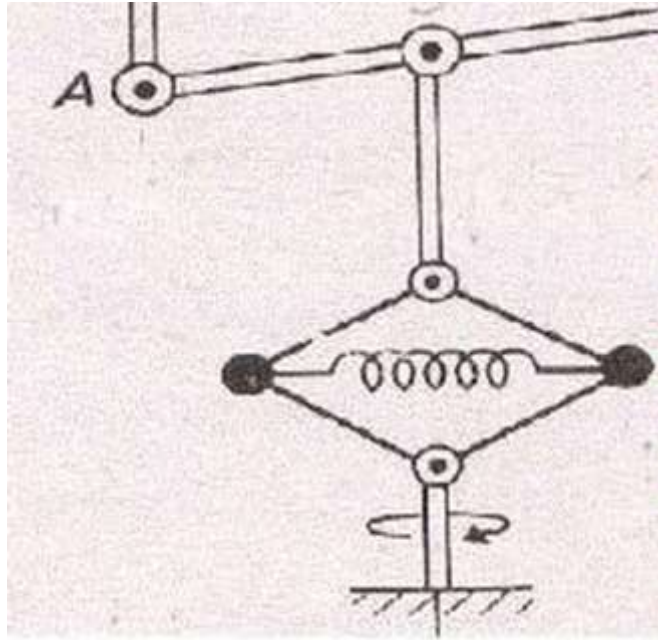


The system consists of the following components:

- I. Fly ball speed governor
- II. Hydraulic amplifier
- III. Linkage mechanism
- IV. Speed changer

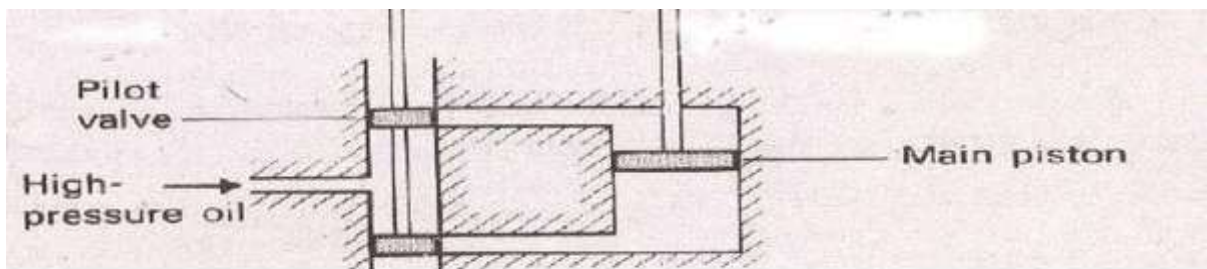
I. Fly ball speed governor:

This is the heart of the system which senses the change in speed frequency. As the speed increases the fly balls move outwards and the point B on linkage mechanism moves downwards. The reverse happens when the speed decreases



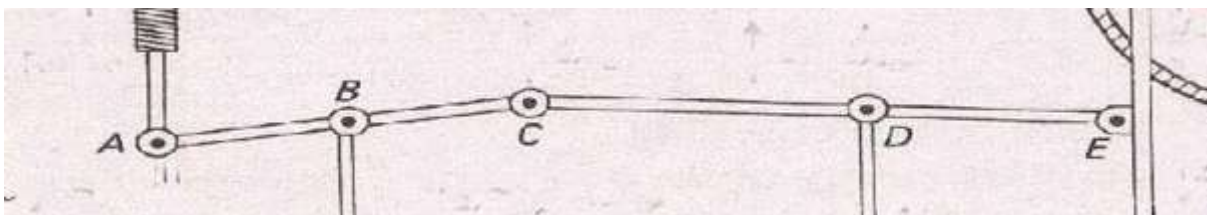
II. Hydraulic amplifier:

It comprises a pilot valve and main piston arrangement. Low power level pilot valve movement is converted into high power level piston valve movement. This is necessary in order to open or close the steam valve against high pressure steam.



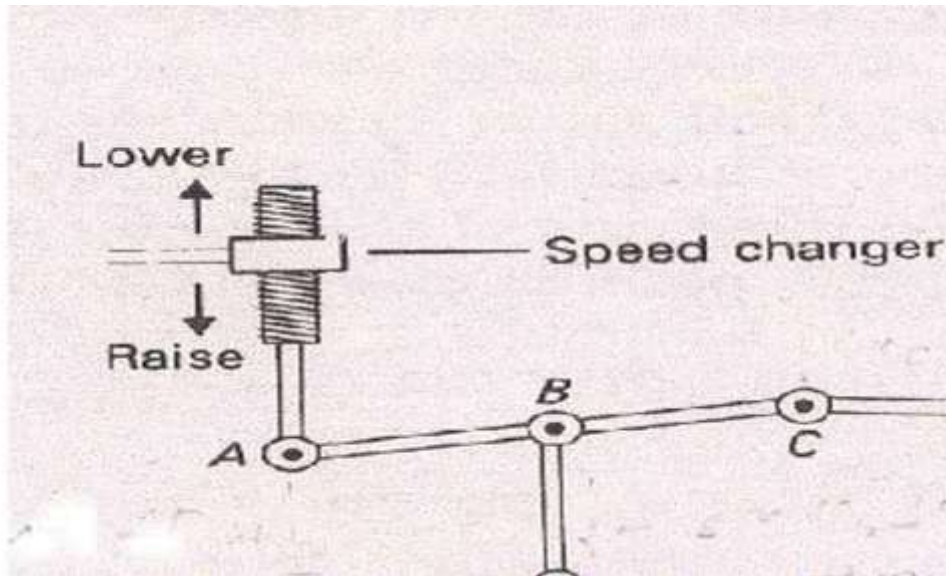
III. Linkage mechanism:

ABC is a rigid link pivoted at B and CDE is another rigid link pivoted at D. This link mechanism provides a movement to the control valve in proportion to change in speed. It also provides a feedback from the steam valve movement



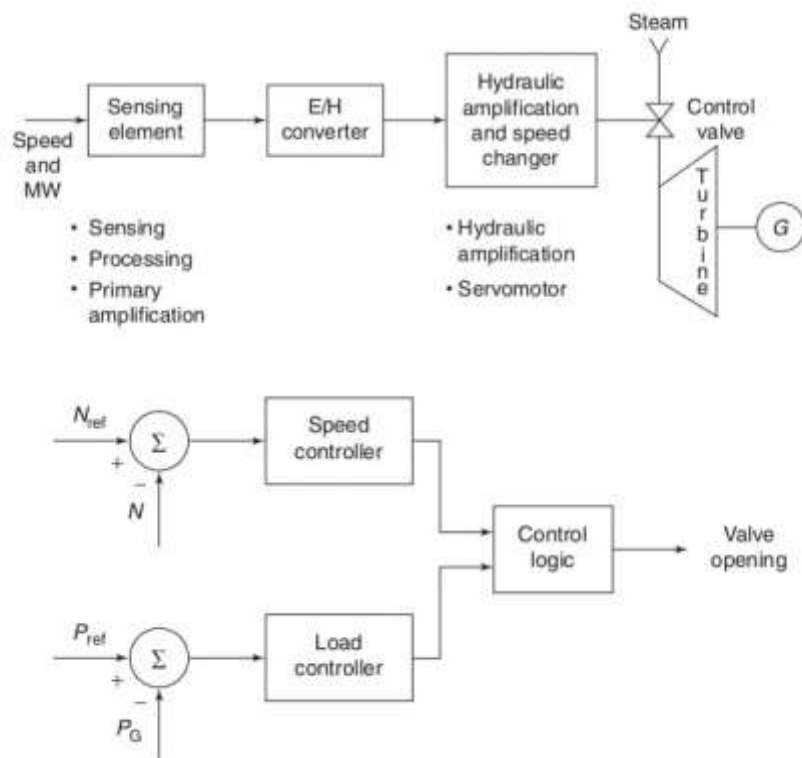
IV. Speed changer:

It provides a steady state power output setting for the turbine. Its downward movement opens the upper pilot valve so that more steam is admitted to the turbine under steady conditions. The reverse happens for upward movement of speed changer.

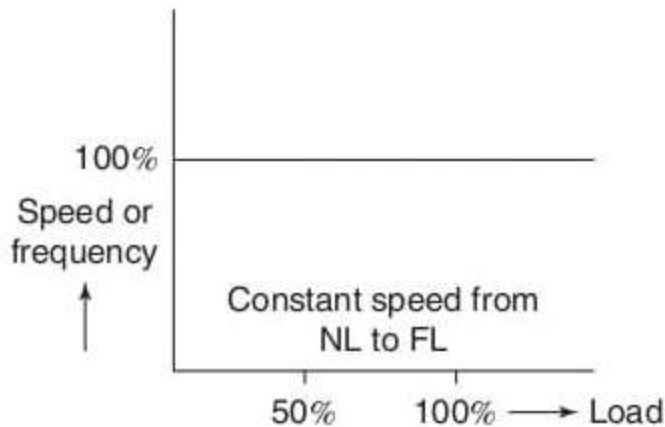


MODES OF SPEED GOVERNOR

- ELECTRONIC HYDRAULIC GOVERNING SYSTEM



- ISOCRONOUS GOVERNORS



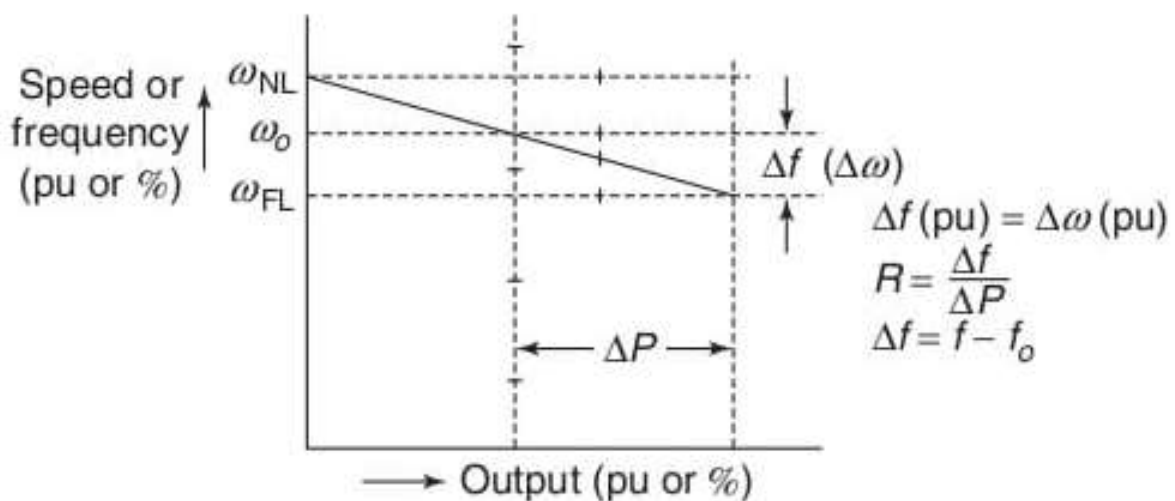
Speed Maintained Constant from No-Load to Full Load

Normally used in Isolated systems

When one generator is required to meet demand

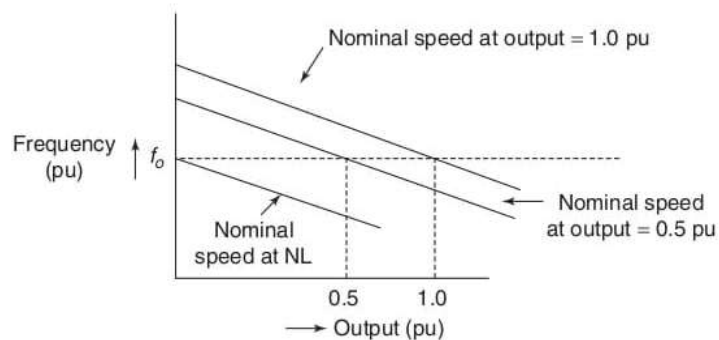
DROOP MODE

Speed Droop is a decrease in speed or frequency proportional to the load



Speed Droop Curve with Change in Governor Set Point

$R = \Delta f / \Delta P$



NUMERICAL

Example 6.1

Two prime mover generator sets are paralleled. Both have 3% droop. The frequency is 50 Hz on full load. Plot the speed droop characteristics and comment on the load sharing if one generator A has a rating of 500 MW and another B 300 MW.

Solution

The speed droop is 3%. Therefore, the frequency at no load is 3% more than at full load which is 51.5 Hz. The characteristic is shown in Fig. 6.8.

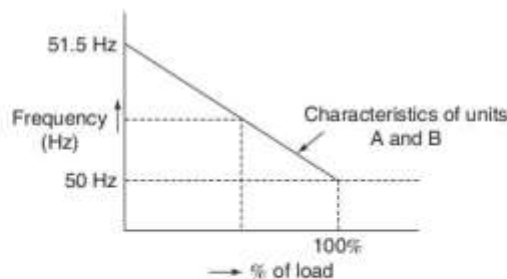


Figure 6.8 Generators with identical droop characteristics: Example 6.1.

Here 100% load is the total capacity of the two units, that is, $500 + 300 = 800$ MW. For any other load, the load is shared in proportion to their capacity and the frequency is determined by the droop characteristic of

Example 6.3

Two identical machines 1 and 2 have droop characteristics with 5% and 2% speed regulation, respectively. They share an initial load of 100 MW equally, operating at nominal frequency. If now there is an increase of 35 MW in the load, how would the additional load be shared? State any assumptions made.

Solution

Since we have just two units we can solve the problem graphically. The speed droop characteristics of the two machines are drawn, assuming that with the initial load the system frequency is 100% (nominal frequency of 50 Hz). We draw the graph as shown in Fig. 6.10. Here, we have taken 100% output = 100 MW. At 50 Hz, each is supplying 50 MW. Now if the load is increased by 35 MW, the new load is 135 MW.

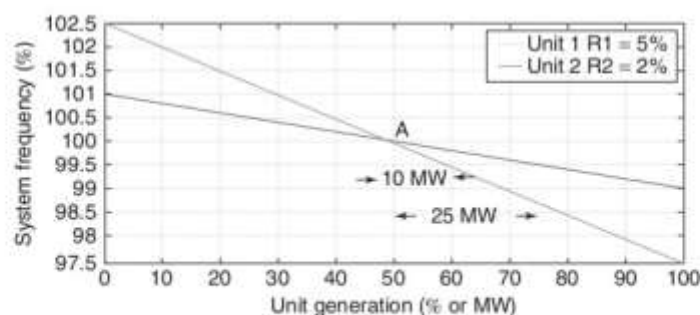


Figure 6.10 Example 6.3.

The frequency decreases. We can draw horizontal lines, by trial and error locate the frequency at which the total load supplied by both is 135 MW. As seen in the figure, at $f = 99.5\%$ (49.75 Hz) we get $P_1 = 60$ MW and $P_2 = 75$ MW so that $P_1 + P_2 = 135$ MW. The increase in power output of machine 1 is 10 MW (60–50) and that of machine 2, 25 MW (75–50). We can solve it using Eq. (6.5).

$$\frac{\Delta P_1}{\Delta P_2} = \frac{R_2}{R_1}$$

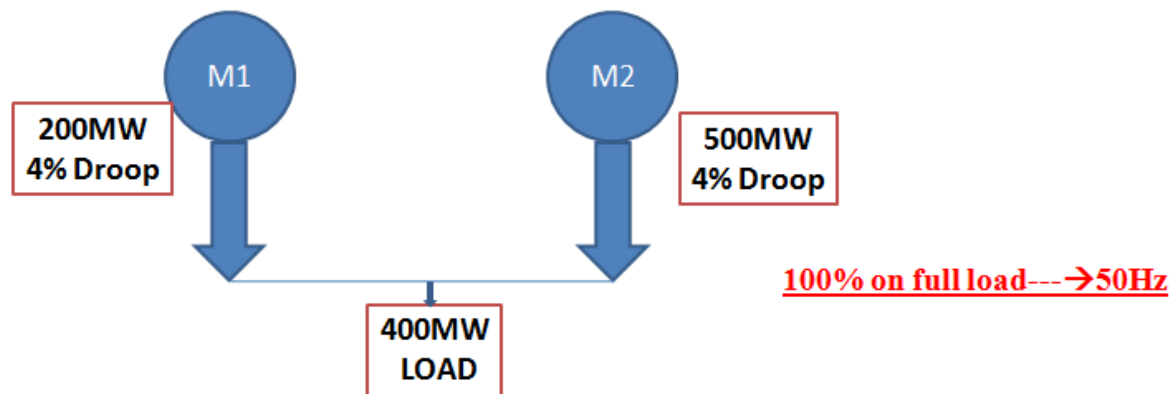
$$\Delta P_2 = 35 - \Delta P_1$$

$$\frac{\Delta P_1}{35 - \Delta P_1} = \frac{2}{5} \Rightarrow \Delta P_1 = 10 \text{ MW}; \Delta P_2 = 25 \text{ MW}$$

So the output of machine 1 is increased by 10 MW and that of machine 2 is increased by 25 MW. When the load is increased by 25 MW, the units slow down, the governors increase the output until the units seek a new common operating frequency.

3. Two machines operate in parallel to supply a load of 400MW. The capacities of the machines are 200MW and 500MW. Each has a droop characteristic of 4%. Their governors are adjusted so that the frequency is 100% on full load. Calculate the load supplied by each unit and the frequency at this load. This is a 50Hz system

Solution:



Solution:

Step 1: Plot the droop characteristics in p.u since machine have different ratings

Step 2: Let us take the base power be 100MW

Step 3: Full load output of Unit 1 = Actual/ Base = 200/100 = 2pu

Full load output of Unit 2 = Actual/Base = 500/100 = 5pu

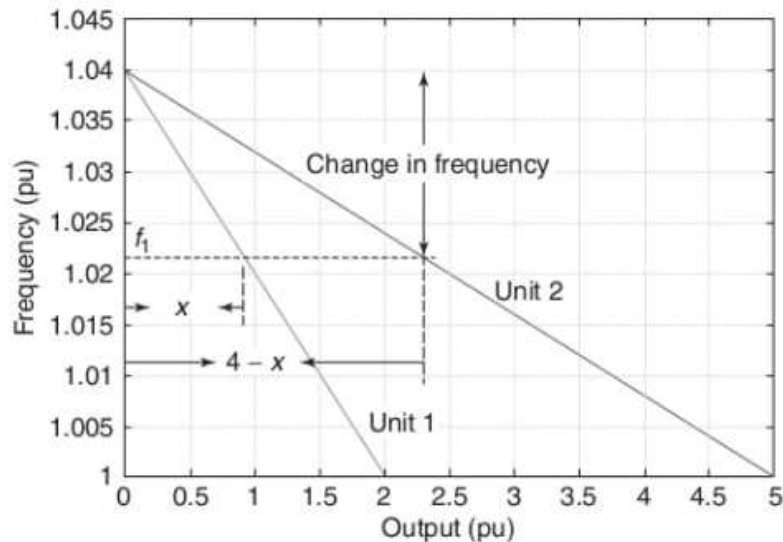
50Hz = 1pu frequency

Step 4: Since droop characteristic has 4% droop, the no load speed is 4% greater than full load speed.

When load is thrown off frequency raises by 4% from 100-->104% or 1.04pu

Step 5: For Unit 1 frequency drops from 1.04pu at no load to 1pu (2pu)

For Unit 2 frequency drops from 1.04pu at no load to 1pu (5pu)



Step 6: Load is 400MW=4pu

Step 7: Let Load supplied by Unit 1 be x pu

Unit 2 be 4-x pu

Frequency deviation $\rightarrow \Delta f$

Step 8: $\Delta f / x = 0.04/2$ -----(1)

$\Delta f / 4-x = 0.04/5$ -----(2)

Step 9: Dividing equations

$$4-x / x = 5/2$$

Solving

$$x = 8/7 = 1.142 \text{ pu}$$

Step 10: From (1) $\Delta f = 0.02 \times x = 0.02 \times 1.142$
 $= 0.0228 \text{ pu}$

Step 11: New frequency $f_1 = 1.04 - \Delta f$
 $= 1.04 - 0.0228$
 $= 1.017 \text{ PU}$
 $= 1.017 \times 50 = 50.85 \text{ Hz}$

Step 12: Power supplied by unit 1 = 114.28MW

Power supplied by unit 2 = 285.71MW

Frequency of system = **50.85Hz**

Example 6.7

Consider an isolated generator of 500 MVA, $M = 8 \text{ pu MW/pu freq/s}$ on the machine base. The unit is supplying a load of 400 MVA. The load changes by 1.5% for a 1% change in frequency. Draw the block diagram for the equivalent generator-load system. For an increase of 10 MVA in the load, determine the steady-state frequency deviation and the response.

Solution

We can choose a convenient base. Note that M is on the generator base and D is on the load base. Let us choose a common base of 1,000 MVA.

$$M = 8 \times \frac{500}{1000} = 4 \text{ (on a 1000 MVA base)}$$

$$D = 1.5 \times \frac{400}{1000} = 0.6 \text{ (on a 1000 MVA base)}$$

The block diagram is shown in Fig. 2.23.

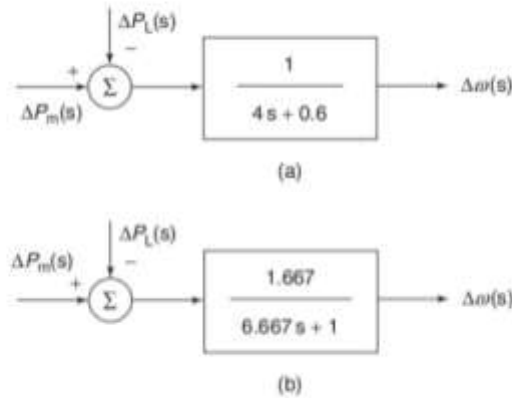


Figure 6.23 Example 6.7.

Figure 2.23(b) is the equivalent block diagram as a standard first-order transfer function. The gain is 1.667 and the time constant is 6.667.

Now the load increases by 10 MVA $= \frac{10}{1000} = 0.01$ pu with the mechanical power remaining the same. Therefore,

$$\begin{aligned} \Delta\omega(s) &= -(\Delta P_L(s)) \left(\frac{1}{4s + 0.6} \right) \\ &= -\frac{0.01}{s} \left(\frac{1}{4s + 0.6} \right) \\ &= -\left(\frac{0.01}{s} \right) \left(\frac{0.25}{s + 0.15} \right) \\ &= \frac{0.01667}{s + 0.15} - \frac{0.01667}{s} \end{aligned}$$

Taking inverse Laplace transform, we get

$$\Delta\omega(t) = 0.01667e^{-0.15t} - 0.01667$$

Example 6.8

A system consists of four identical 100 MVA generators feeding a total load of 250 MW. The inertia constant $H = 5$ for each machine on its own base. The load varies by 1.2% for a 1% change in frequency. If there is a drop of 10 MW of load, determine the speed deviation and plot it.

Solution

Let us choose the base as 100 MVA.

H of four units $= 5 \times 4 = 20$

Load after drop $= 250 - 10 = 240$ MW.

$$\Delta P_L = 10 \text{ MW} = \frac{10}{100} = 0.1 \text{ pu}$$

$$D \text{ for load of 240 MW on base 100 MVA is } D = 1.2 \times \frac{240}{100} = 2.88$$

The block diagram is shown in Fig. 6.26.

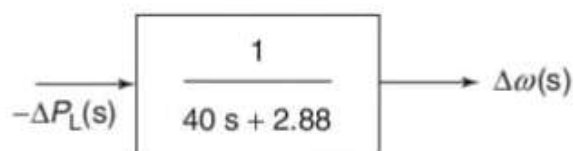


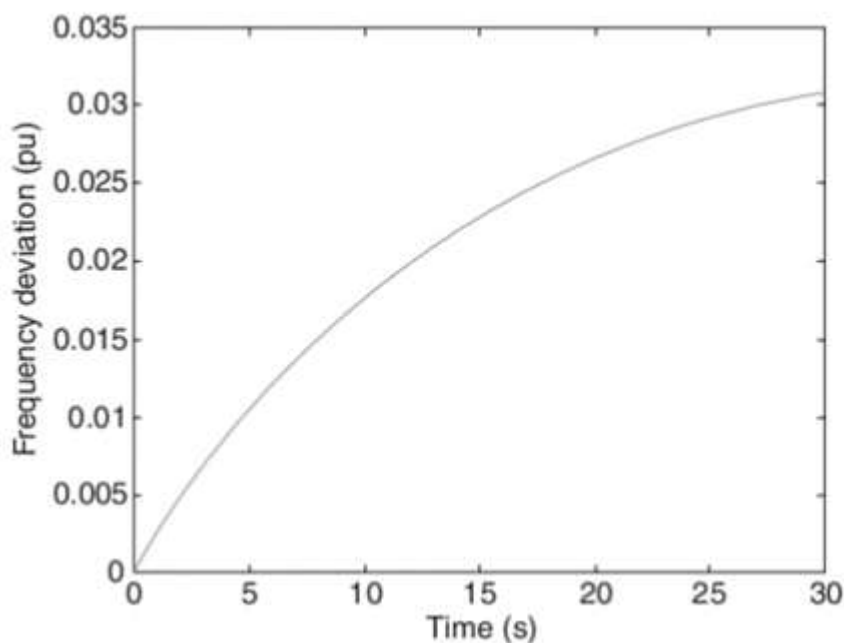
Figure 6.26 Block diagram of example 6.8

$$\Delta P_L(s) = -\frac{0.1}{s} \quad (\text{since load drops})$$

$$\therefore \Delta \omega(s) = -\left(-\frac{0.1}{s}\right) \left(\frac{1}{40s + 2.88}\right)$$

$$= \left(\frac{0.1}{s}\right) \left(\frac{0.025}{s + 0.072}\right)$$

$$\Delta \omega(t) = 0.03472(1 - e^{-0.072t})$$



The steady-state speed deviation = 0.03472 pu. This is also the steady-state frequency deviation. The steady-state frequency = 1.03472 pu = 51.736 Hz.

Example 6.11

A single area consists of two generators as follows:

G_1 : 200 MW, $R = 4\%$ (on machine base)

G_2 : 400 MW, $R = 5\%$ (on machine base).

They are connected in parallel and share a load of 600 MW in proportion to their rating, at 50 Hz. 200 MW of load is tripped. What is the generation to meet the new load if $D = 0$? What is the frequency at new load? Repeat for $D = 1.5$ pu.

Solution

(Refer example 6.5 where it is solved graphically)

Choose a base of 200 MW. $D = 0$

$R_1 = 0.04$ pu (on 200 MW base)

$R_2 = 0.05 \times \frac{200}{400} = 0.025$ pu (on 200 MW base)

$$\Delta P_L = -200 \text{ MW (decrease)}$$

$$= -1 \text{ pu}$$

$$\Delta \omega_{ss} = \frac{-\Delta P_L}{\frac{1}{R_1} + \frac{1}{R_2}} = \frac{-(-1)}{\frac{1}{0.04} + \frac{1}{0.025}} = 0.01538 \text{ pu}$$

Frequency at new load = 1.01538 pu

$$= 50.769 \text{ Hz}$$

$$\Delta P_1 = \frac{-\Delta f}{R_1} = \frac{-0.01538}{0.04} = -0.3845 \text{ pu}$$

$$= -0.3845 \times 200$$

$$= -76.9 \text{ MW}$$

$$P_1 = 200 - 76.9 = 123.1 \text{ MW}$$

$$\Delta P_2 = \frac{-\Delta f}{R_2} = \frac{-0.01538}{0.025} = -0.6152 \text{ pu}$$

$$= -123.04 \text{ MW}$$

$$P_2 = 400 - 123.04 = 276.96 \text{ MW}$$

$$P_1 + P_2 = P_L = 400 \text{ MW}$$

Now $D = 1.5$

$$\Delta\omega_s = \frac{-\Delta P_1}{\frac{1}{R_1} + \frac{1}{R_2} + D} = \frac{1}{\frac{1}{0.04} + \frac{1}{0.025} + 1.5} = 0.01504 \text{ pu}$$

Frequency at new load = 1.01504 pu
= 50.752 Hz

$$\Delta P_1 = \frac{-0.01504}{0.04} \times 200 = -75.2 \text{ MW}$$

$$P_1 = 200 - 75.2 = 124.8 \text{ MW}$$

$$\Delta P_2 = \frac{-0.01504}{0.025} \times 200 = -120.32 \text{ MW}$$

$$P_2 = 279.68 \text{ MW}$$

$$D\Delta\omega = \text{increase in load due to frequency change} = 1.5 \times 0.01504$$

$$= 0.02256 \text{ pu}$$

$$= 0.02256 \times 200$$

$$= 4.512 \text{ MW}$$

$$P_1 + P_2 = 404.5 \text{ MW}$$

$$= P_1 + D\Delta\omega$$

The sum of the two generations should meet the load plus any increase in load because of frequency dependency.

Example 6.12

A control area has following data:

Total generation capacity = 2,000 MW

Normal load = 1,500 MW

$H = 4.8 \text{ s}$; $D = 1.2\%$; $f = 50 \text{ Hz}$; $R = 2.5 \text{ Hz/pu MW}$

- Determine the primary ALFC parameters.
- For an increase of 0.02 pu in the load find the frequency drop without governor control.
- Repeat (2) with governor control.
- Repeat (2) with governor control but frequency dependence of loads neglected.

Solution

(a) $D = 1.2\%$ means the load increases by 1.2% for a 1% increase in frequency.

$$1.2\% \text{ load} = 18 \text{ MW } (1500 \times 0.012)$$

$$1\% \text{ frequency} = 0.5 \text{ Hz}$$

$$D = \frac{18}{0.5} = 36 \text{ MW/Hz} = \frac{36}{2000} = 0.018 \text{ pu MW/Hz}$$

$$T(s) = \frac{1}{2Hs + D} = \frac{1}{9.6s + 0.018} = \frac{55.55}{533.33s + 1}$$

Power system gain = 55.55 Hz/pu MW

Power system time constant = 533.33 pu

$$= \frac{533.33}{50} = 10.667 \text{ s}$$

(b) Without governor control

$$\Delta f = \frac{-\Delta P_L}{D}$$

$$\Delta P_L = 0.02 \text{ pu}$$

$$\Delta f = \frac{-0.02}{0.018} = -1.11 \text{ Hz [note that unit of } D \text{ is pu MW/Hz]}$$

(c) With governor control

$$\Delta f = \frac{-\Delta P_L}{D + \frac{1}{R}} = \frac{-0.02}{0.018 + \frac{1}{2.5}} = -0.0478 \text{ Hz}$$

(d) With $D = 0$,

$$\Delta f = \frac{-\Delta P_L}{\frac{1}{R}} = \frac{-0.02}{\frac{1}{2.5}} = -0.05 \text{ Hz}$$

A word of caution about units: Note that here we are using D and R in units of pu MW/Hz and Hz/pu MW. Therefore, the frequency deviations are obtained directly in Hz whereas the powers are in pu MW. Also note the way the power system gain and time constant are found out and the units used. Can we use D in % to solve here? We work as follows:

$$D = 1.2\% \text{ (for load of 1,500 MW).}$$

$$\begin{aligned} \text{On a base of 2,000 MVA, } D &= 1.2 \times \frac{1500}{2000} \\ &= 0.9\% \end{aligned}$$

and mathematical models of Automatic Load Frequency Control

2.6 .Automatic Generation Control

- With Primary Speed Control we have a steady state speed(frequency) deviation for a change in the System Load.
- The amount of frequency deviation depends on Governor Droop Characteristics and frequency sensitivity of the load.
- All the generating units will change their generation in response to load change irrespective of the location.

2.6.1 Mathematical Model of Automatic Load Frequency Control

Before starting, it will be useful for us to define our terms.

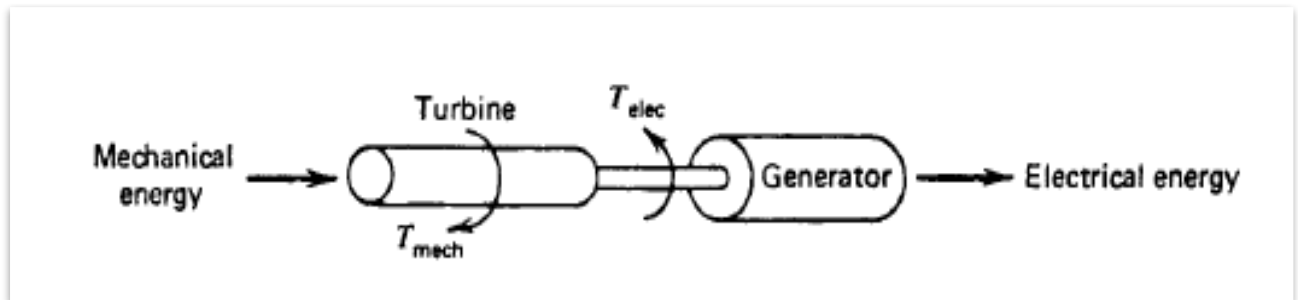
ω = rotational speed (rad/sec)

α = rotational acceleration

δ = phase angle of a rotating machine

GENERATOR MODEL

Mechanical and Electrical torques in a generating unit



T_{net} = net accelerating torque in a machine

T_{mech} = mechanical torque exerted on the machine by the turbine

T_{elec} = electrical torque exerted on the machine by the generator

P_{net} = net accelerating power

P_{mech} = mechanical power input

P_{elec} = electrical power output

I = moment of inertia for the machine

M = angular momentum of the machine

$$I\alpha = T_{net}$$

$$M = \omega I$$

$$P_{net} = \omega T_{net} = \omega(I\alpha) = M\alpha$$

Due to various electrical or mechanical disturbances, the machine will be subjected to differences in mechanical and electrical torque, causing it to **accelerate or decelerate**.

deviations of speed, $\Delta\omega$, deviations in phase angle, $\Delta\delta$,

$$\begin{aligned} \Delta\delta &= \underbrace{\int (\omega_0 + \alpha t) dt}_{\text{Machine absolute phase angle}} - \underbrace{\int \omega_0 dt}_{\text{Phase angle of reference axis}} \\ &= \omega_0 t + \frac{1}{2}\alpha t^2 - \omega_0 t \\ &= \frac{1}{2}\alpha t^2 \end{aligned}$$

$$\Delta\omega = \alpha t = \frac{d}{dt}(\Delta\delta)$$

$$T_{\text{net}} = I\alpha = I \frac{d}{dt} (\Delta\omega) = I \frac{d^2}{dt^2} (\Delta\delta)$$

The relationship between net accelerating power and the electrical and mechanical powers is:

$$P_{\text{net}} = P_{\text{mech}} - P_{\text{elec}}$$

which is written as the sum of the steady-state value and the deviation term

$$P_{\text{net}} = P_{\text{net0}} + \Delta P_{\text{net}}$$

$$P_{\text{net0}} = P_{\text{mech0}} - P_{\text{elec0}}$$

$$\Delta P_{\text{net}} = \Delta P_{\text{mech}} - \Delta P_{\text{elec}}$$

$$P_{\text{net}} = (P_{\text{mech0}} - P_{\text{elec0}}) + (\Delta P_{\text{mech}} - \Delta P_{\text{elec}})$$

$$T_{\text{net}} = (T_{\text{mech0}} - T_{\text{elec0}}) + (\Delta T_{\text{mech}} - \Delta T_{\text{elec}})$$

$$P_{\text{net}} = P_{\text{net0}} + \Delta P_{\text{net}} = (\omega_0 + \Delta\omega)(T_{\text{net0}} + \Delta T_{\text{net}})$$

$$(P_{\text{mech0}} - P_{\text{elec0}}) + (\Delta P_{\text{mech}} - \Delta P_{\text{elec}}) = (\omega_0 + \Delta\omega)[(T_{\text{mech0}} - T_{\text{elec0}}) + (\Delta T_{\text{mech}} - \Delta T_{\text{elec}})]$$

Assume that the steady-state quantities

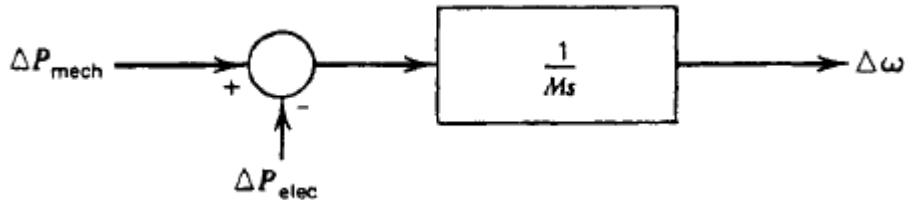
$$P_{\text{mech0}} = P_{\text{elec0}}$$

$$T_{\text{mech0}} = T_{\text{elec0}}$$

$$\Delta P_{\text{mech}} - \Delta P_{\text{elec}} = \omega_0(\Delta T_{\text{mech}} - \Delta T_{\text{elec}})$$

$$(T_{\text{mech0}} - T_{\text{elec0}}) + (\Delta T_{\text{mech}} - \Delta T_{\text{elec}}) = I \frac{d}{dt} (\Delta\omega)$$

$$\begin{aligned}\Delta P_{\text{mech}} - \Delta P_{\text{elec}} &= \omega_0 I \frac{d}{dt} (\Delta \omega) \\ &= M \frac{d}{dt} (\Delta \omega) \quad \text{since } T_{\text{mech}0} = T_{\text{elec}0}\end{aligned}$$



LOAD MODEL

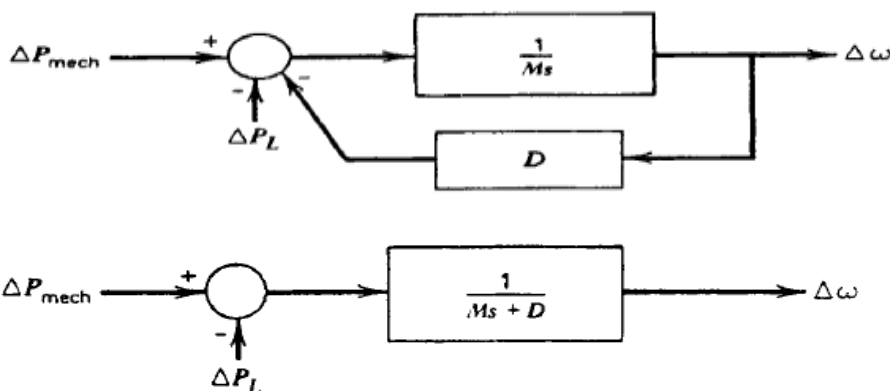
The relationship between the change in load due to the change in frequency is given by:

$$\Delta P_{L(\text{freq})} = D \Delta \omega \quad \text{or} \quad D = \frac{\Delta P_{L(\text{freq})}}{\Delta \omega}$$

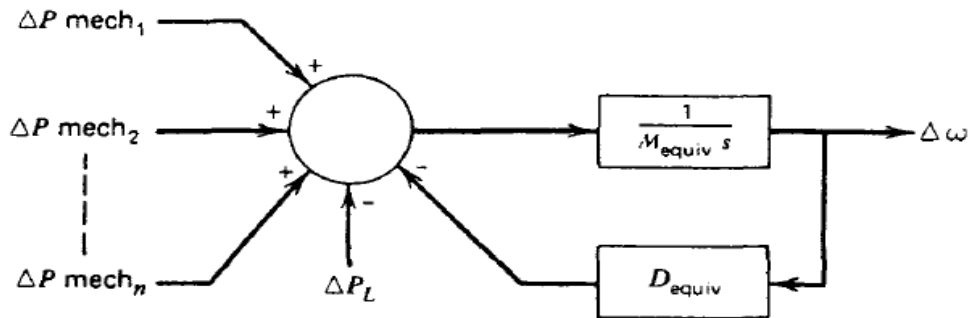
D is % Change in Load / % Change in frequency

For example, if load changed by 1.5% for a 1% change in frequency,

then D would equal 1.5.



Block diagram of rotating mass and load as seen by prime-mover output.



Multi-turbine-generator system equivalent.

PRIME MOVER MODEL

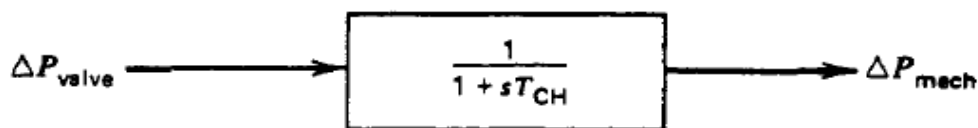
The prime mover driving a generator unit may be a steam turbine or a **hydroturbine**.

The models for the prime mover must take account of the steam supply and boiler control system characteristics in the case of a steam turbine, or the **penstock characteristics for a hydro turbine**.

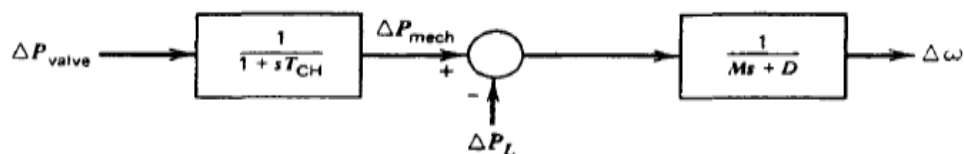
T_{CH} = “charging time” time constant

ΔP_{valve} = per unit change in valve position from nominal

The combined prime-mover-generator-load model for a single generating unit



Prime-mover model.

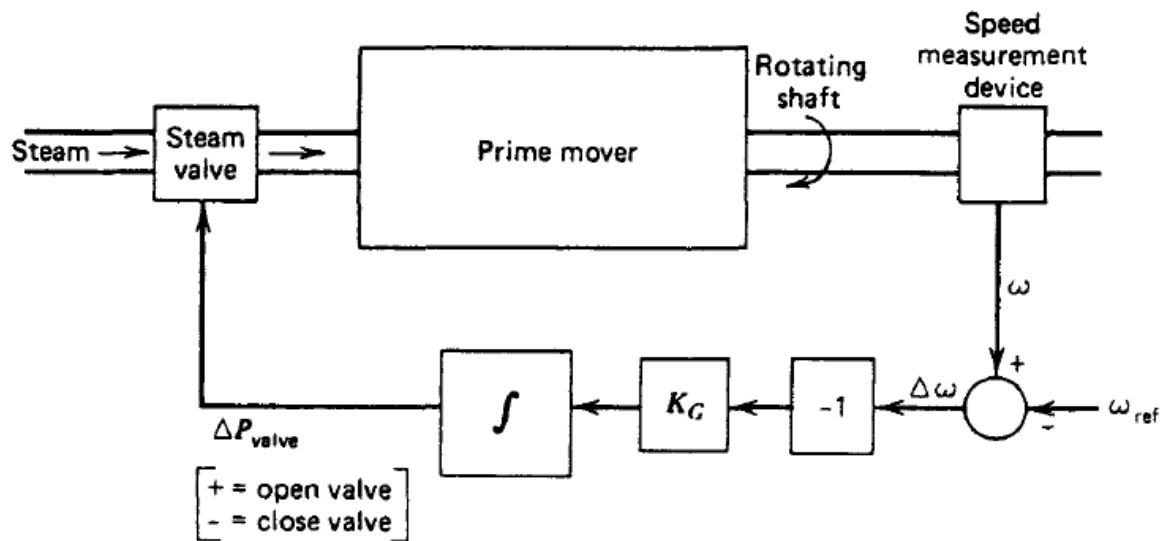


Prime-mover-generator-load model.

GOVERNOR MODEL

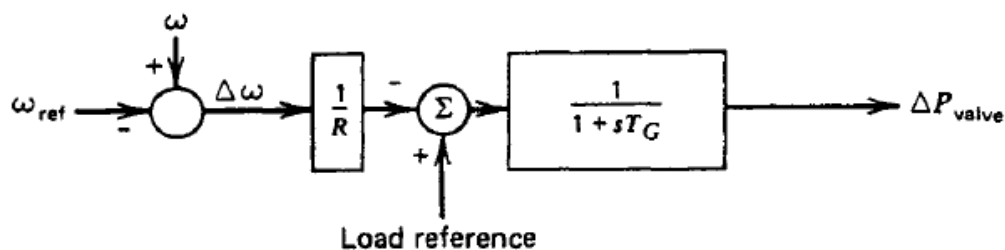
1. Suppose a generating unit is operated with fixed mechanical power output from the turbine. The result of any load change would be a speed change sufficient to cause the frequency-sensitive load to exactly compensate for the load change. **This condition would allow system frequency to drift far outside acceptable limits.**
2. **This is overcome by adding a governing mechanism that senses the machine speed,** and adjusts the input valve to change the mechanical power output to compensate for load changes and to **restore frequency to nominal value.**
3. The earliest such mechanism used rotating “flyballs”

4. **Modern governors** use electronic means to sense speed changes and often use a combination of electronic, mechanical, and hydraulic means to effect the required valve position changes
5. The simplest governor, called the ***isochronous governor***, *adjusts the input valve to a point that brings frequency back to nominal value.*



The action of the **gain and integrator** will be to open the hydro valve, causing the turbine to increase its mechanical output, thereby increasing the electrical Output

If **two generators with drooping governor characteristics** are connected to a power system, there will always be a unique frequency, at which they will share a load change between them.



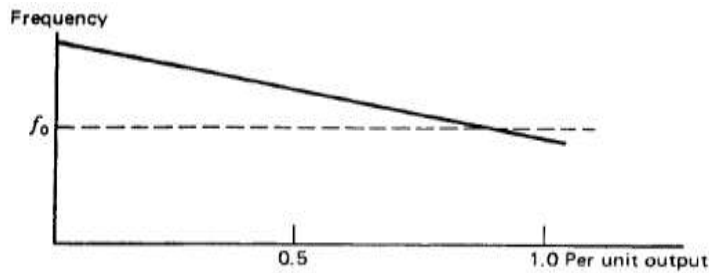
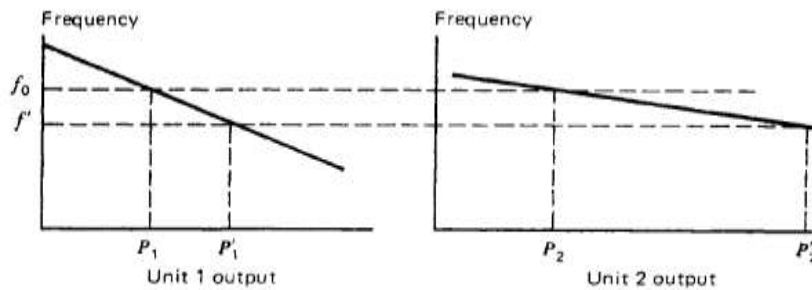
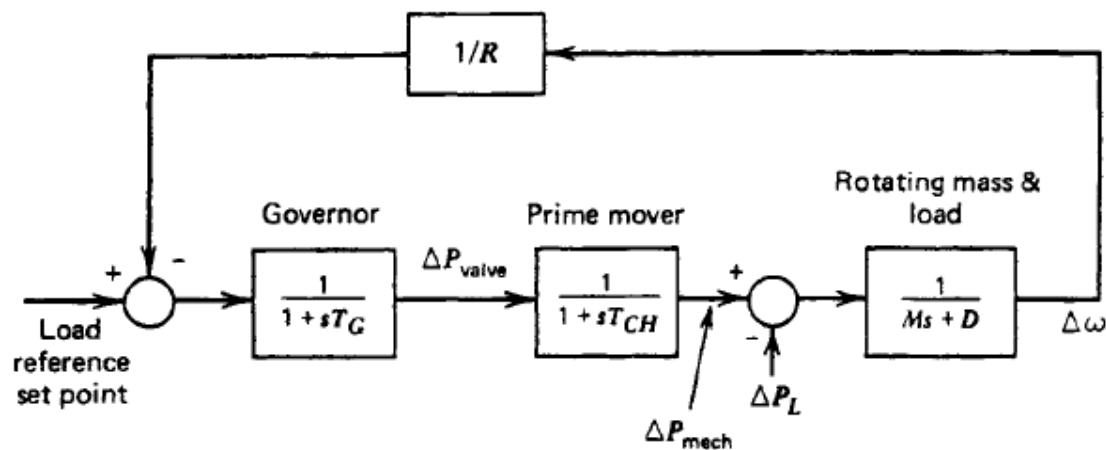


FIG. 9.12 Speed-droop characteristic.



Allocation of unit outputs with governor droop.

$$R = \frac{\Delta \omega}{\Delta P} \text{ pu}$$



Block diagram of governor, prime mover, and rotating mass.

2.7 AGC Controller

- With Primary Speed Control we have a steady state speed(frequency) deviation for a change in the System Load.
- The amount of frequency deviation depends on Governor Droop Characteristics and frequency sensitivity of the load.
- All the generating units will change their generation in response to load change irrespective of the location.

- Restoration of the **system frequency to the scheduled value** requires change of load reference set point.
- This is obtained using **Supplementary Control**.
- **AGC- Controls prime mover power to match the system load**

AGC Roles:

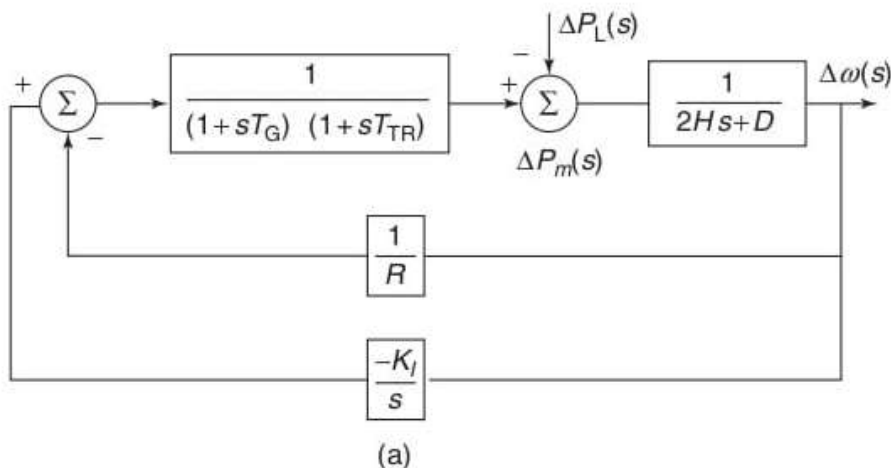
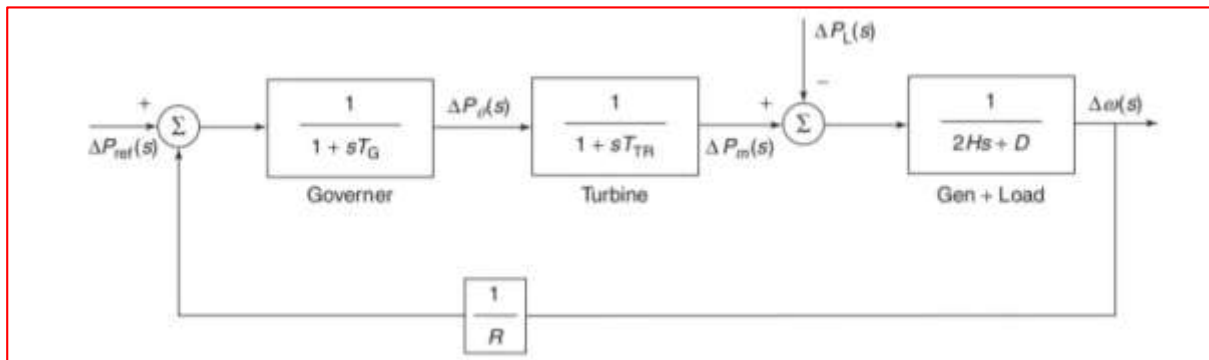
- **Stable Closed Loop Operation**
- **Keep frequency deviation to minimum**
- **Limit the integral of the frequency error**
- **Divide the load economically**

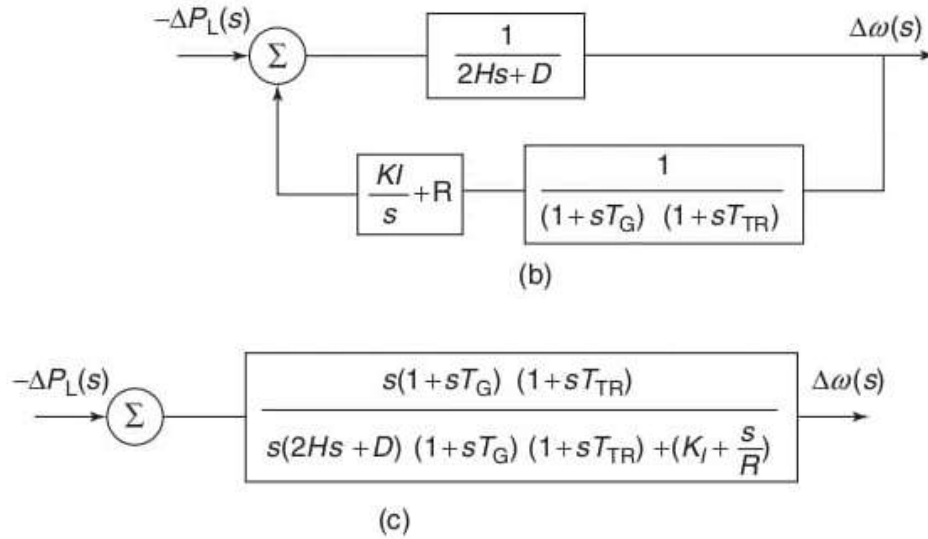
AGC Maintain frequency at the scheduled value

2.8 Proportional Integral Controller

Add in the **feedback path** to change the load reference based on frequency deviation. Steady state error of **PIC is zero**.

Complete ALFC Model





we can see that $\lim_{s \rightarrow 0} (s\Delta\omega(s)) = 0$.

- The signal generated by integral control must be of opposite sign to $\Delta\omega(s)$ ($\Delta f(s)$).
- For a decrease in $\Delta f(s) \rightarrow \Delta P_{ref}(s)$ must be positive.
- Hence integrator sign is shown with a negative sign
- Steady state frequency deviation is Zero
- The frequency error is called **Area Control Error (ACE)**

The integral controller can also be represented in terms of the system constants as follows:

$$\frac{\Delta f(s)}{-\Delta P_L(s)} = \frac{sK_{ps}(1+sT_G)(1+sT_{TR})}{s(1+sT_{ps})(1+sT_G)(1+sT_{TR}) + K_{ps}\left(K_I + \frac{s}{R}\right)}$$

The command signal is given by $\Delta P_{ref} = -K_I \int ACE \, dt$, where K_I is the integral gain constant which controls the rate of integration. The steady-state deviation is driven to zero, irrespective of the choice of the integral gain and R . We thus now have two parameters, K_I and R , to control the dynamic response of the system. *The integrator output is zero only when the speed deviation is zero.* Under this condition, $\Delta P_{ref} = 0$.

Example 6.17

Given a control area with three generating units with following rating:

Unit	Rating (MVA)	% R (on machine base)
1	200	0.01
2	500	0.025
3	750	0.04

The units are loaded as follows:

$$P_1 = 100 \text{ MW}, P_2 = 400 \text{ MW}, P_3 = 600 \text{ MW}.$$

If the load increases by 200 MW, what are the new generations if $D = 0$? Repeat for $D = 1.0$ pu on a base of 1,000 MVA.

Solution

$$\Delta f = \frac{-\Delta P_L}{\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} + D}$$

Choose a common base of 1,000 MVA and convert all the regulations to the common base.

$$R_1 = 0.01 \times \frac{1000}{200} = 0.05 \text{ pu}$$

$$R_2 = 0.025 \times \frac{1000}{500} = 0.05 \text{ pu}$$

$$R_3 = 0.04 \times \frac{1000}{750} = 0.0533 \text{ pu}$$

$$\Delta P = \frac{200}{1000} = 0.2 \text{ MW}$$

With $D = 0$:

$$\Delta f = \frac{-0.2}{\frac{1}{0.05} + \frac{1}{0.05} + \frac{1}{0.0533}} = -3.403 \times 10^{-3} \text{ pu}$$

$$f = 50 - (3.403 \times 10^{-3})50 = 49.8298 \text{ Hz}$$

$$\Delta P_1 = \frac{-\Delta f}{R_1} = \frac{3.403 \times 10^{-3}}{0.05} = 0.06806 \text{ pu}$$

$$= 68.06 \text{ MW}$$

$$P_1 = 100 + 68.06 = 168.06 \text{ MW}$$

$$\Delta P_2 = \frac{-\Delta f}{R_2} = \frac{3.403 \times 10^{-3}}{0.05} = 0.06806 \text{ pu} = 68.06 \text{ MW}$$

$$P_2 = 400 + 68.06 = 468.06 \text{ MW}$$

$$\Delta P_3 = \frac{-\Delta f}{R_3} = \frac{3.403 \times 10^{-3}}{0.0533} = 0.0638 \text{ pu}$$

$$= 63.846 \text{ MW}$$

$$P_3 = 600 + 63.846 = 663.846 \text{ MW}$$

$$P_G = P_1 + P_2 + P_3 = 1300 \text{ MW} = P_L$$

With $D = 1.0$:

$$\Delta f = \frac{-0.2}{58.76 + 1} = -3.3466 \times 10^{-3} \text{ pu}$$

$$f = 50 - (3.3466 \times 10^{-3})50 = 49.832 \text{ Hz}$$

$$\Delta P_1 = \frac{3.3466 \times 10^{-3}}{0.05} = 0.066932 \text{ pu}$$

$$= 66.932 \text{ MW}$$

$$P_1 = 166.932 \text{ MW}$$

$$\Delta P_2 = \Delta P_1, \quad P_2 = 466.932 \text{ MW}$$

$$\Delta P_3 = \frac{3.3466 \times 10^{-3}}{0.0533} = 0.06279 \text{ pu}$$

$$= 62.79 \text{ MW}$$

$$P_3 = 662.79 \text{ MW}$$

$$P_G = P_1 + P_2 + P_3 = 1296.654$$

$$\begin{aligned} P_G &= P_1 + P_2 + P_3 = 1296.654 \\ P_L &= 1300 \text{ MW} \\ D\Delta\omega &= 3.3466 \text{ MW} \\ P_G &= P_L - D\Delta\omega \end{aligned}$$

Outcomes

At the end of the module, students will be able to:

CO-2: Develop and analyze mathematical models of Automatic Load Frequency Control [L4]

List of Text Books

1. Power System Operation and Control, K. Uma Rao, Wiley, 1st Edition, 2012.
2. Modern Power System Analysis, D. P. Kothari, McGraw Hill, 4th Edition, 2011.
3. Power Generation Operation and Control, Allen J Wood et al, Wiley, 2nd Edition, 2003.
4. Electric Power Systems, B M Weedy, B J Cory, Wiley. 4th Edition, 2012.

List of Reference Books

1. Computer-Aided Power System Analysis, G. L. Kusic, CRC Press, 2nd Edition.2010.
2. Power System SCADA and Smart Grid, Mini S Thom and John D. McDonald, CRC Press 2015.
3. Power System Stability and Control, Kundur, McGraw Hill, 8th Reprint, 2009.

List of URLs, Text Books, Notes, Multimedia Content, etc

<https://archive.nptel.ac.in/courses/108/104/108104052/>